

1. (1 point) Library/Rochester/setDiffEq1/osu\_de\_1\_3.pg

Match the following differential equations with their solutions. The symbols  $A$ ,  $B$ ,  $C$  in the solutions stand for arbitrary constants.

You must get all of the answers correct to receive credit.

- 1.  $\frac{d^2y}{dx^2} + 49y = 0$   
 —2.  $\frac{dy}{dx} = \frac{-2xy}{x^2 - 7y^2}$   
 —3.  $\frac{d^2y}{dx^2} + 10\frac{dy}{dx} + 25y = 0$   
 —4.  $\frac{dy}{dx} = 14xy$   
 —5.  $\frac{dy}{dx} + 15x^2y = 15x^2$

- A.  $y = Ce^{-5x^3} + 1$   
 B.  $y = Ae^{7x^2}$   
 C.  $3yx^2 - 7y^3 = C$   
 D.  $y = Ae^{-5x} + Bxe^{-5x}$   
 E.  $y = A \cos(7x) + B \sin(7x)$

2. (1 point) Library/MiamiUOhio/DiffEq/Definitions\_and\_Terminology/Problem18.pg

logy/Problem18.pg

Let  $y''' - 11y'' + 28y' = 0$ .

Find all values of  $r$  such that  $y = e^{rx}$  satisfies the differential equation. If there is more than one correct answer, enter your answers as a comma separated list.

$r =$  \_\_\_\_\_ help (numbers)

3. (1 point) Library/MiamiUOhio/DiffEq/Definitions\_and\_Terminology/Problem19.pg

logy/Problem19.pg

Let  $t^2y'' + 17ty' + 63y = 0$ .

Find all values of  $r$  such that  $y = t^r$  satisfies the differential equation for  $t > 0$ . If there is more than one correct answer, enter your answers as a comma separated list.

$r =$  \_\_\_\_\_ help (numbers)

4. (1 point) Library/maCalcDB/setDiffEq3Separable/ur\_de\_3\_1.pg

A. Solve the following initial value problem:

$$(t^2 - 16t + 28) \frac{dy}{dt} = y$$

with  $y(8) = 1$ . (Find  $y$  as a function of  $t$ .)

$y =$  \_\_\_\_\_.

B. On what interval is the solution valid?

Answer: It is valid for \_\_\_\_\_  $< t <$  \_\_\_\_\_.

C. Find the limit of the solution as  $t$  approaches the left end of the interval.

(Your answer should be a number or the word "infinite".)

Answer: \_\_\_\_\_.

D. Similar to C, but for the right end.

Answer: \_\_\_\_\_.

5. (1 point) Library/Wiley/setAnton\_Section\_8.4/Anton\_8\_4\_Q9.pg

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Solve the initial value problem.

$$\frac{dy}{dx} - 2xy = 8x, y(0) = -2$$

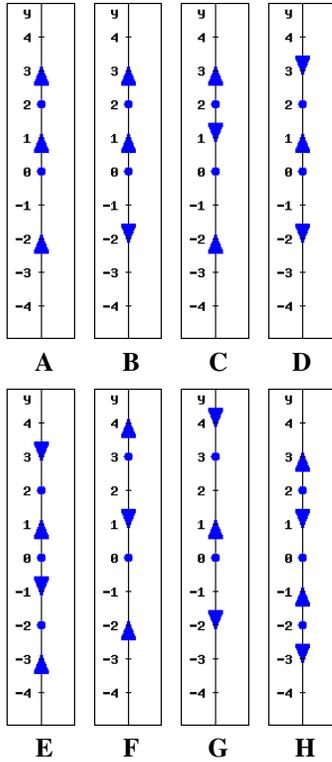
$y =$  \_\_\_\_\_

6. (1 point) Library/FortLewis/DiffEq/1-First-order/06-Autonomous/BDH-1-6-37.pg

ous/BDH-1-6-37.pg

Determine which differential equation corresponds to each phase line. You should be able to state briefly how you know your choices are correct.

1.  $\frac{dy}{dt} = y^2|y - 2|$   
 2.  $\frac{dy}{dt} = y(2 - y)^2$   
 3.  $\frac{dy}{dt} = 4y - y^3$   
 4.  $\frac{dy}{dt} = y(y - 2)$   
 5.  $\frac{dy}{dt} = y^2 - 3y$   
 6.  $\frac{dy}{dt} = 3y - y^2$   
 7.  $\frac{dy}{dt} = 2y - y^2$   
 8.  $\frac{dy}{dt} = y^3 - 4y$



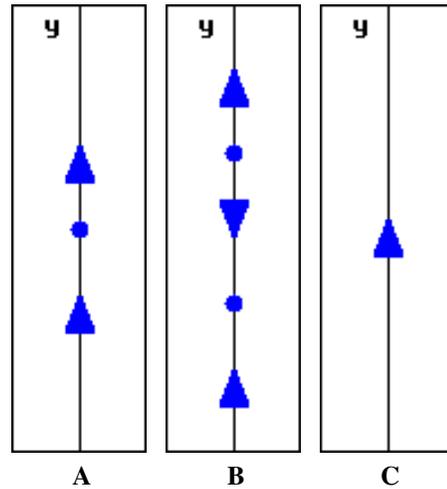
Determine the bifurcation value(s) for the one-parameter family

$$\frac{dy}{dt} = y^2 + k.$$

$k =$  \_\_\_\_\_ help (numbers)

Determine which differential equation corresponds to each phase line. You should be able to state briefly how you know your choices are correct.

- 1.  $k$  larger than the bifurcation value
- 2.  $k$  equal to the bifurcation value
- 3.  $k$  smaller than the bifurcation value



7. (1 point) Library/FortLewis/DiffEq/1-First-order/06-Autonomous/BDH-1-7-01.pg