• Homework: Watch videos 1.4 - 1.6.

- (2,4] ∪ (3,5]
 (-∞,4] ∩ [3,∞)
- 4,2)
- (0,0)
- **9** [0, 0]

•
$$\{x \in \mathbb{N} : x^2 < 6\}$$

• $\{x \in \mathbb{Z} : x^2 < 6\}$
• $\{x \in \mathbb{R} : x^2 < 6\}$

•
$$\{x \in \mathbb{R} : \forall y \in [0, 1], x < y\}$$

• $\{x \in \mathbb{R} : \exists y \in [0, 1] \text{ s.t. } x < y\}$
• $\{x \in [0, 1] : \forall y \in [0, 1], x < y\}$
• $\{x \in [0, 1] : \exists y \in [0, 1], x < y\}$
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• $\{x \in [0, 1] : y \in [0, 1], x < y\}$
• $\{x \in [0, 1] : \exists y \in \mathbb{R} \text{ s.t. } x < y\}$

Given two sets A and B. We define

 $A \setminus B := \{x \in A : x \notin B\}$. This set is called "A minus B".

- **●** [0, 1]\(-0.5, 1)
- $[0,1] \setminus (1,\infty)$
- $\mathbb{R} \setminus [0,1]$
- $[0,1] \setminus \mathbb{R}$

- A := {Students who like cats more than dogs}
 B := {Students who are Raptors fans}
- C := {Students who like math}

Raise your hand if you are in $(A \setminus B) \cup (B \setminus A)$.

- A := {Students who like cats more than dogs}
- B := {Students who are Raptors fans}
- C := {Students who like math}

Raise your hand if you are in $C \setminus (B \setminus C)$.

Let S be the set of even integers. Write S in set-building notation.

Let S be the set of rational numbers. Write S in set-building notation.