Correction to #2 on PS2

It is almost, but not quite, true that f is a contraction mapping on I as defined. (Why not?) Show however that there is an $\epsilon > 0$ such that f is a contraction mapping on $I = [1/2 + \epsilon, f(1/2 + \epsilon)]$. (In fact this will be true for any sufficiently small ϵ).